

Probabilistic Models for Symmetric Object Detection in Images

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Motivation

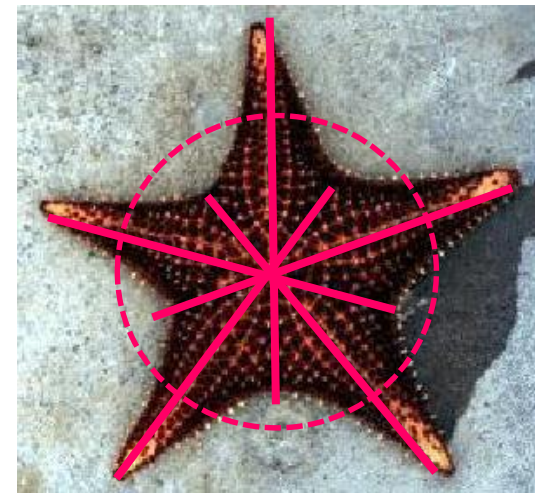
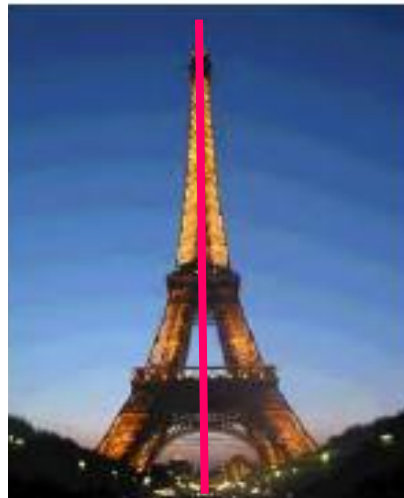
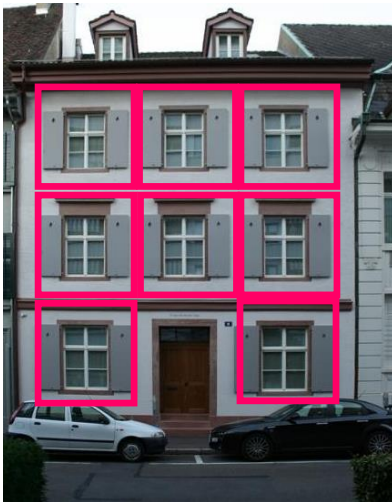
- › Where standard object detection fails
- › Context helps – regular structures
- › Some challenges:



Types of Symmetry

In 2D images we deal with

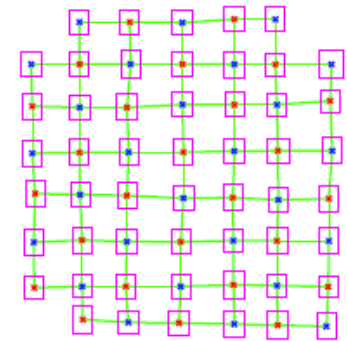
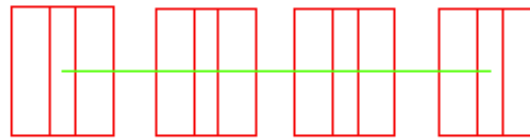
- › Translation, reflection, rotation
- › Groups – wallpaper, dihedral



Grouping Principles

Human perception priors are based on

- Proximity
- Similarity
- Reflection
- Continuation



Also known as Gestalt laws or **symmetry** in general.

We seek a **language** to describe such structures for computer vision.

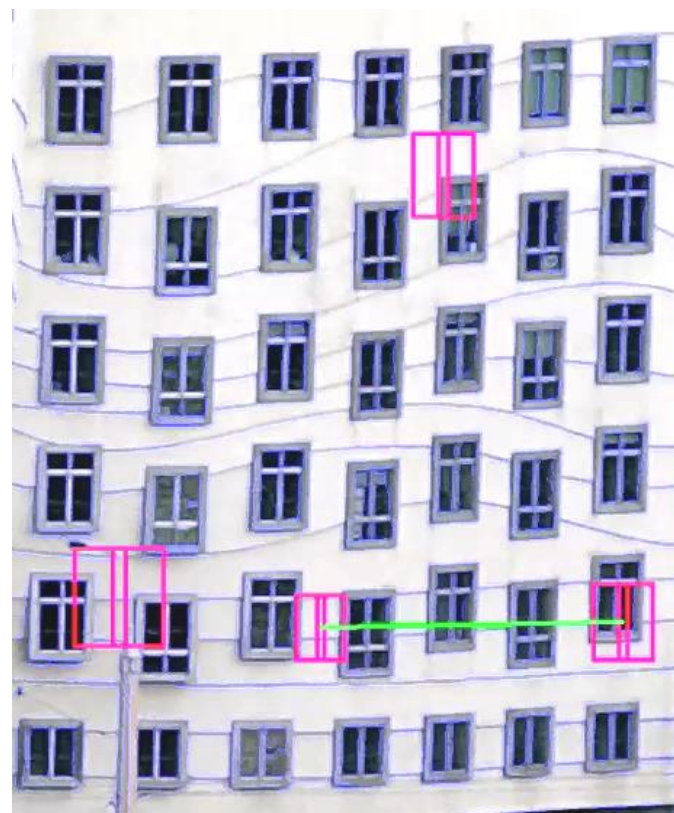
Complexity – unknown number of components

Thesis Progress

- › Weak Structure Model
 - **Simple** model implementing grouping principles
 - Window detection, sampling
- › Spatial Pattern Templates
 - Learn **where** grouping principles apply
 - Facade parsing: semantic labels
- › Reflection Symmetry Detection
 - More **general** approach resembling clustering
 - Improved inference engine, dihedral group

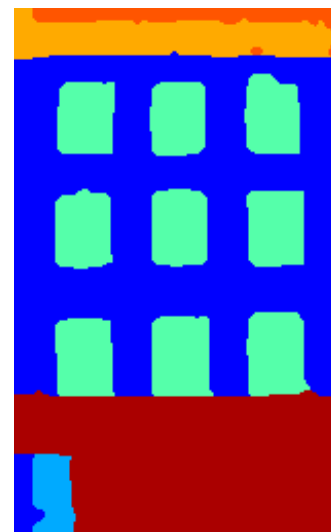
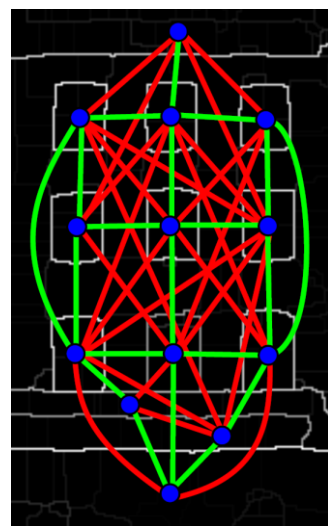
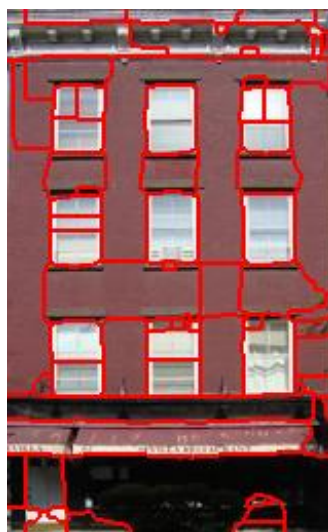
Weak Structure Model

- › *Can we infer global structure from local interactions?*
- › Markov Chain Monte Carlo sampling to find MAP solution
- › Random Walk
- › Reversible Jump
- › Proposal Efficiency
- › Convergence



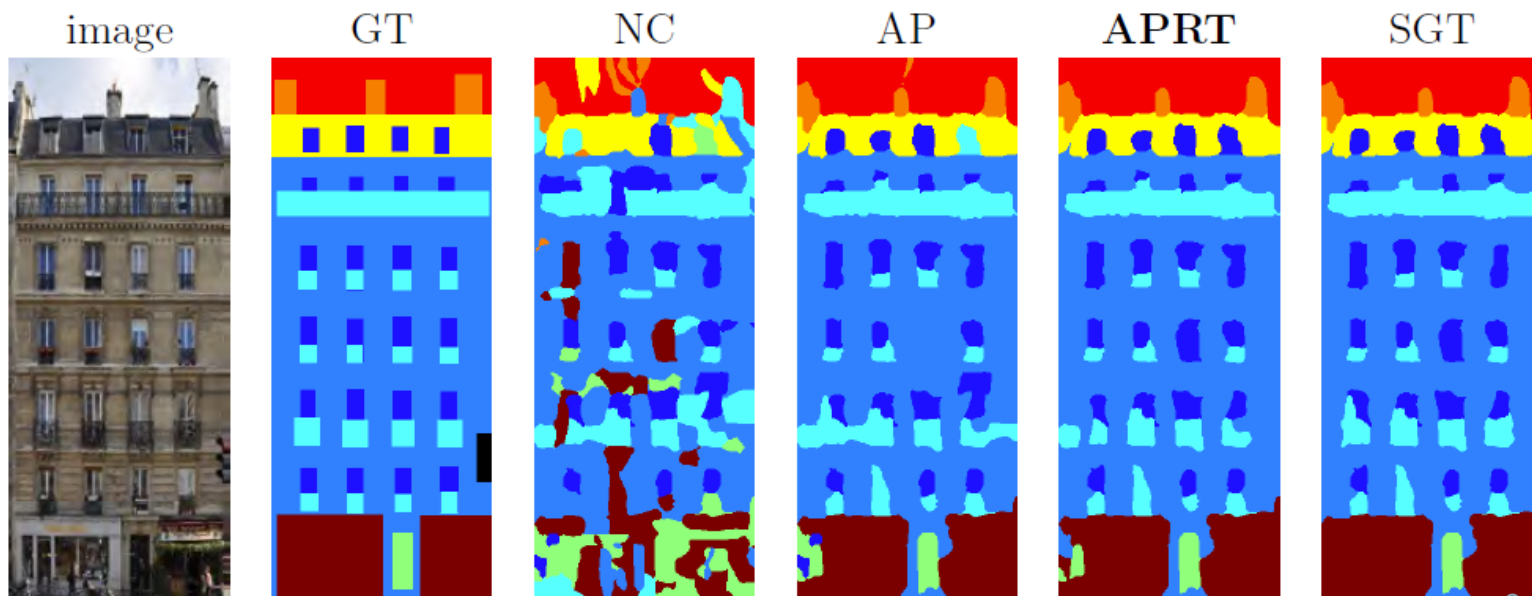
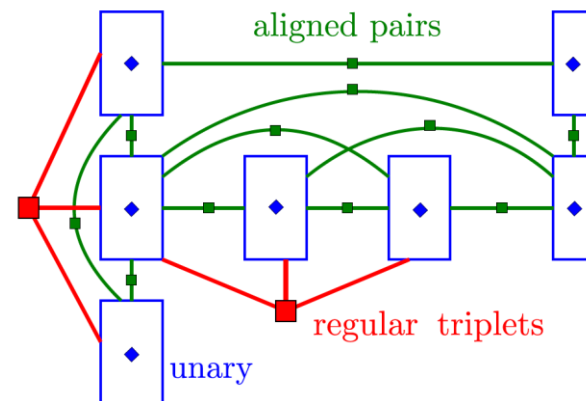
Facade Image Parsing

- › *Can we learn where grouping principles should be applied?*
- › Dense Graphical Model
- › More semantic labels and context
- › New database for learning



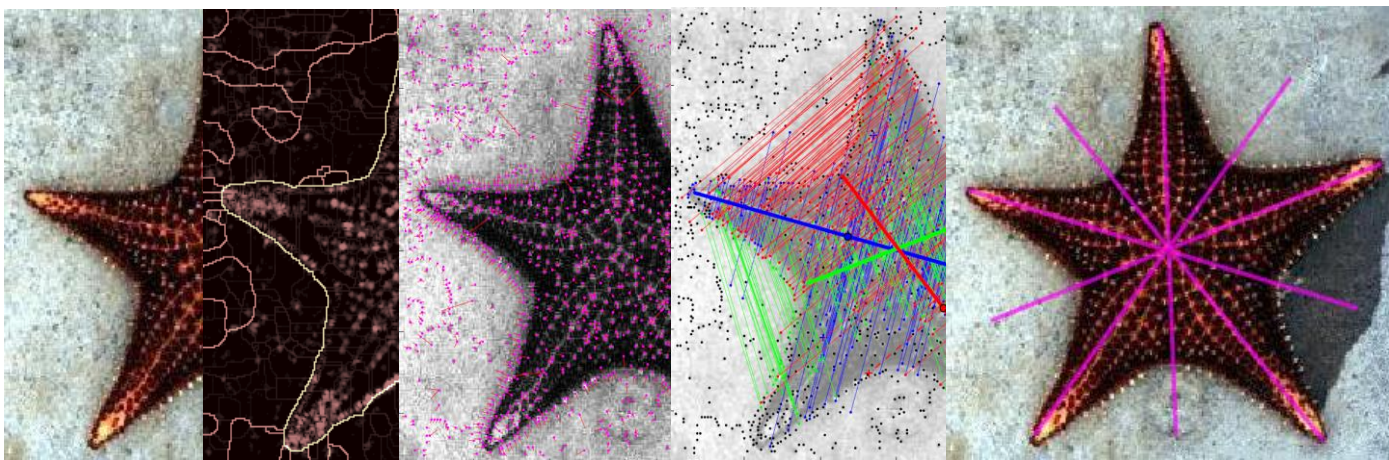
Spatial Pattern Templates

- › Binary and ternary terms
- › Relative spatial location
- › Approximate inference



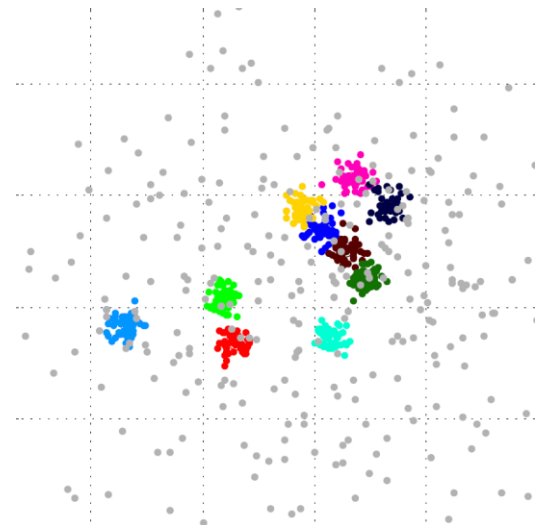
Multiple Reflection Symmetry

- › Correspondence matching problem
 - **Keypoints**: detected from corners and edges
 - **Primitives**: two corresponding keypoints
 - **Components**: axes of reflection symmetry
 - **Groups**: clusters of components (dihedral)



Bayesian Modeling

- › Data clustering problem
 - Gaussian mixture + outliers
- › Target distribution
 - = data model + allocation + priors



$$p(X, Z, \theta, k) = p(X | Z, \theta, k) p(Z | \theta, k) p(\theta | k) p(k)$$

- X ... data primitives with attributes
 - Z ... allocation of data points to components
 - θ ... component and shape parameters
 - k ... complexity
- › Bayesian choice
 - prior design requires some skills

Bayesian Inference

1. Model Selection

- Consider multiple models with different **complexity** and choose one to maximize the posterior marginal

$$k^* = \arg \max p(k | X)$$

- Integrate over parameters by MCMC **sampling**

$$p(k | X) \propto \sum_Z \int_{\theta} p(X, Z, \theta, k) d\theta dZ$$

2. Parameter Estimation

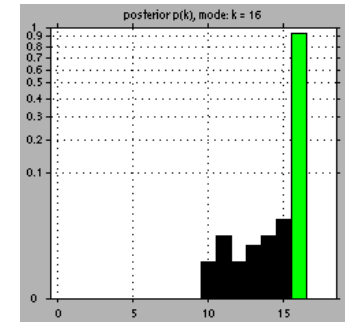
- Determine the most probable **parameters**

$$\theta^* = \arg \max p(X, Z, \theta | k^*)$$

- Use Stochastic EM to find locally optimal values

› Inference Engine: LiSAEM

- Efficient: improved mixing rate, ~10k samples needed



Multiple Reflection Symmetry

› *General difficulties:*

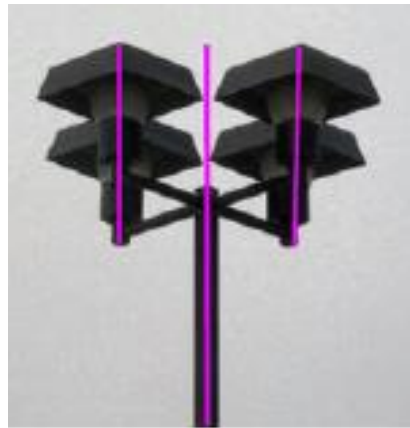
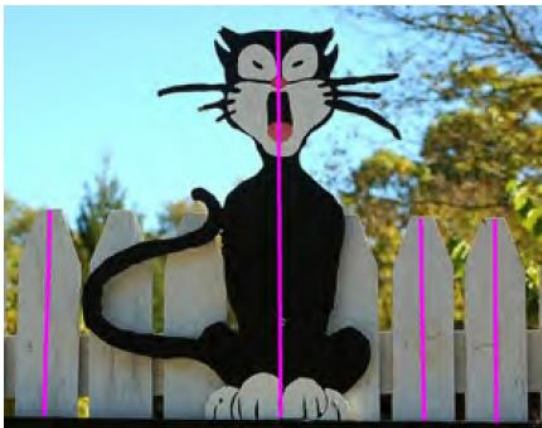
- Multiplicity
- Hierarchy

› *Domain specific ambiguities:*

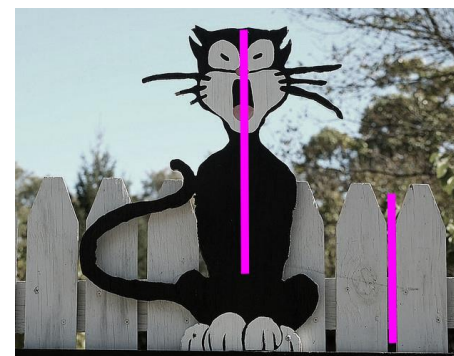
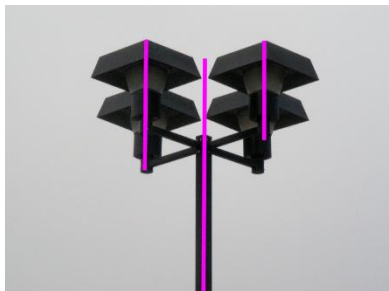
- Figure-Ground
- Local-Global

Addressed with:

- **Model selection**
- **Grouping priors**
 - Dihedral
 - Objectness
 - Compactness



Experimental Results



- › Improved state-of-the-art results on reflection symmetry benchmarks (~10%)

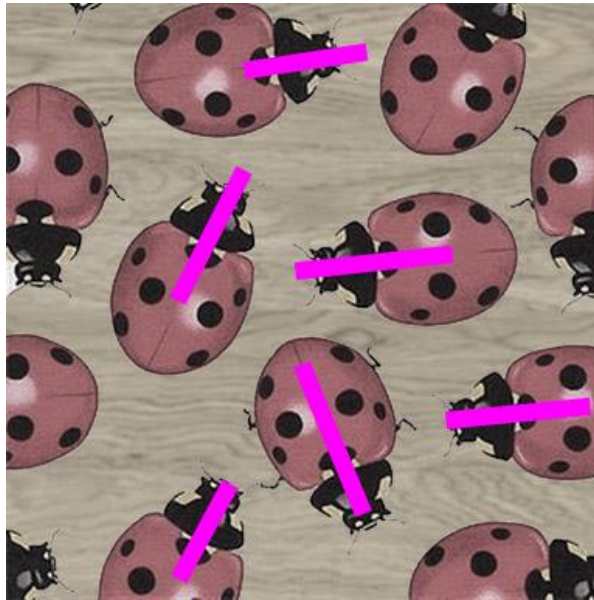
Main Contributions

- › Application of statistical methods for object counting new to computer vision
 - Parsimony by means of model selection
 - Learning without overfitting
- › Minimal modeling principle
 - Simple language for consistent models
- › Grouping priors
 - Components are not independent
 - Hierarchy of symmetries

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Thank You

› Questions?



Questions

› What are the alternative models and their properties?

– Complexity estimation

› Bayesian Information Criterion $BIC = n \cdot \ln(\hat{\sigma}_e^2) + k \cdot \ln(n)$

– Fixed penalty for increase of complexity

› Multi-RANSAC

– complexity estimation greedy or empirical

– Symmetry modeling

› Near Regular Textures – element unknown

› Grammars – strong but restricted layout

› Sequential inference – generally suboptimal

Questions

- › Would larger datasets improve the results?
 - WSM, BMRS:
 - › Yes, hyper-parameter learning would be possible on the next level
 - SPT:
 - › Yes, now only limited number of samples used for training (MPL)
 - › Results from CNNs suggest large data are useful
 - Computationally demanding

Questions

› Hierarchical Bayesian model

