

0.1 Isotropic point normalization: pointnorm

Normalization of point coordinates in order to achieve better numerical stability of direct linear transform (DLT) estimation. See [?] for more details.

```
function [u2,T] = pointnorm(u)
input
    u [3×N] Matrix of unnormalized coordinates of N points.
output
    u2 [3×N] Normalized coordinates.
    T [3×3] Transformation matrix, u2 = Tu.
see also u2Fdlt (p. ??), u2Hdlt (p. ??).
```

Center the coordinates.

```
centroid = mean( u(1:2,:) );
u2 = u;
u2(1:2,:) = u(1:2,:) - repmat(centroid,1,n);
```

Scale points to have average distance from the origin $\sqrt{2}$.

```
scale = sqrt(2) / mean( sqrt(sum(u2(1:2,:).^2)) );
u2(1:2,:) = scale*u2(1:2,:);
```

Composition of the normalization matrix.

```
T = diag([scale scale 1]);
T(1:2,3) = -scale*centroid;
```

Example of pointnorm usage

The function `pointnorm` is used as follows. Generate and display artificial 2D data:

```
u = 100*rand(2,100);
u(3,:) = 1; % make the data homogeneous
figure(1); clf
plot( u(1,:), u(2,:), '+'); hold on
title('original points')
```

Normalize points such that centroid of \mathbf{u}_2 will be $[0, 0]^T \mathbf{u}_2 = \mathbf{T} \mathbf{u}_1$:

```
[u2,T] = pointnorm(u);
```

Control computation:

```
u3 = inv(T)*u2;
figure(1)
plot( u3(1,:), u3(2,:), 'ko', 'MarkerSize', 10 )
```

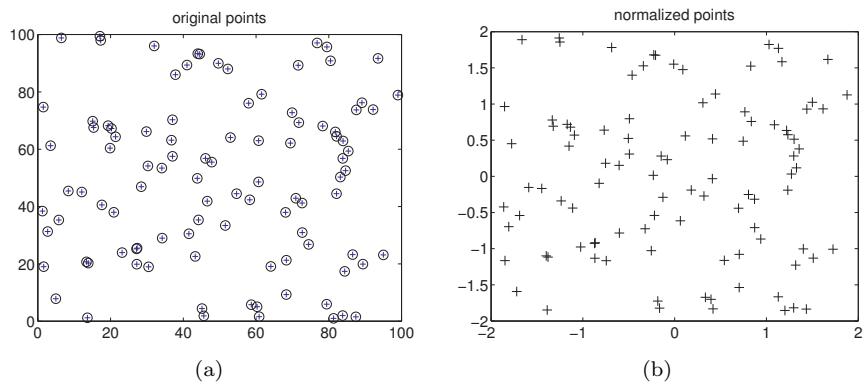


Figure 1: (a) Original points u (crosses) and re-computed points circles u_3 . (b) Normalized coordinates u_2 .